

Introduction to thermodynamics - & the "First Law"

Thermodynamics is the study of
flow of heat/energy & how that
can produce work

Developed principles before concept of
atoms

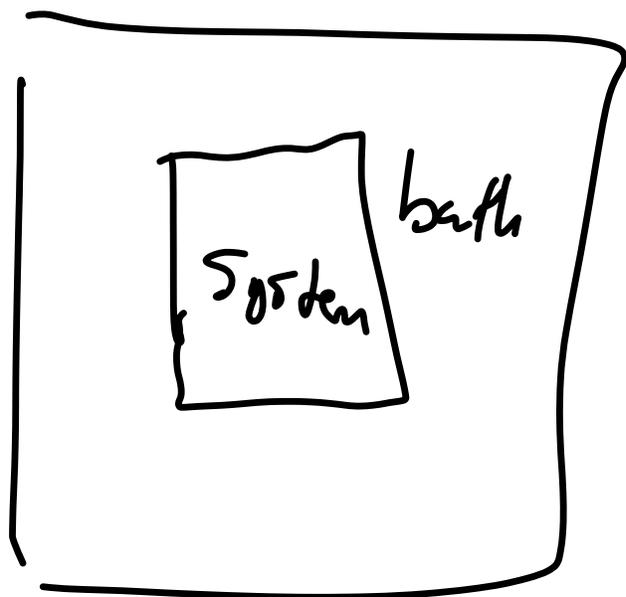
Important note: major concept is
"Equilibrium", where there does not seem
to be much dynamics

- a) lots happening at microscopic level
- b) Mostly about changes between eq. states

Key idea: dividing the universe
into System & Surroundings ("Bath")

- System is what we are
studying right now

- Bath is everything else, or everything else "locally"
- Boundary - imagine ideal situation boundary allows transmission of heat (or not), chemicals (or not) regarded as "thermodynamically negligible"
- "System - bath coupling" how do system & bath interact (via boundary)



System $\rightarrow N, V, E$

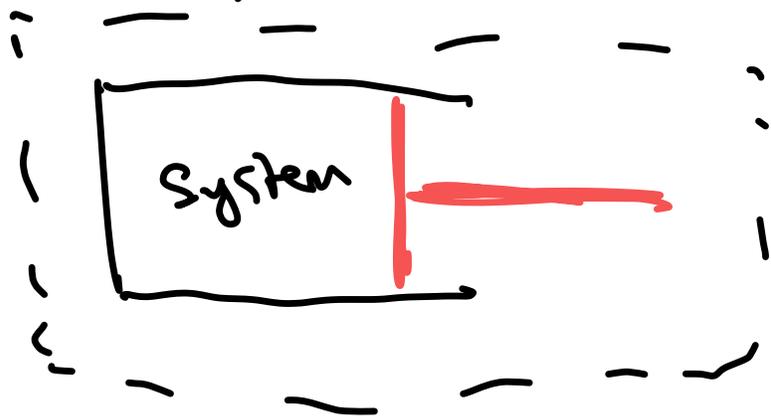
Newtons equations (& QM)
 say "isolated" system
 has constant energy

What can change?

- N can change if we allow
- exchange of molecules
 - chemical reactions

V can change - if we allow
the box to change shape

classically, we imagine a piston,
because of engines



Or, heat can flow from
system to bath, bath to system
if not insulated

(will see this happens if at diff
temperatures)

These allow changes of dN, dV, dq

There are different names for these
different situations (unfortunately)

Allowed Changes!

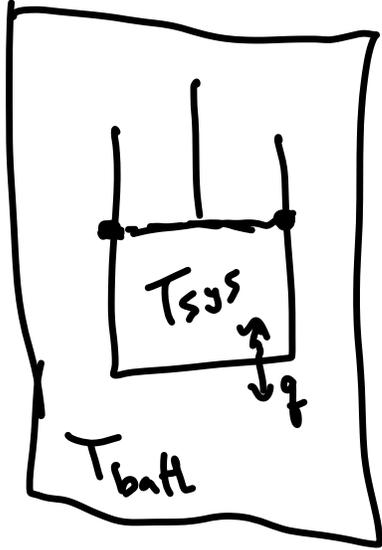
$\left\{ \begin{array}{ll} dq = 0 & \text{adiabatic} \\ dq \neq 0 & \text{diathermal} \end{array} \right.$ - not possible through
- heat passes
"dia" - through greek

$\left\{ \begin{array}{ll} dN = 0 & \text{closed} \\ dN \neq 0 & \text{open} \end{array} \right.$ (this is exchanging with surroundings)
→ open
(must also have diathermal)

$\left\{ \begin{array}{ll} dV = 0 & \text{isochoric} \\ dV \neq 0 & \text{isobaric} \end{array} \right.$ - "same space"
- same pressure ("weight")

Equilibrium occurs when above processes stop and something balances inside & outside

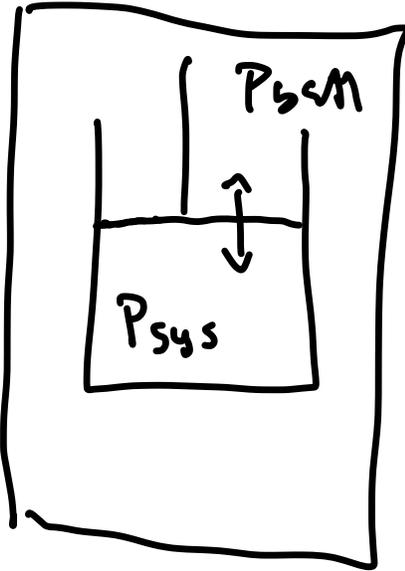
Diathermal
Eq



$$T_{\text{bath}} = T_{\text{sys}}$$

Heat flows until this

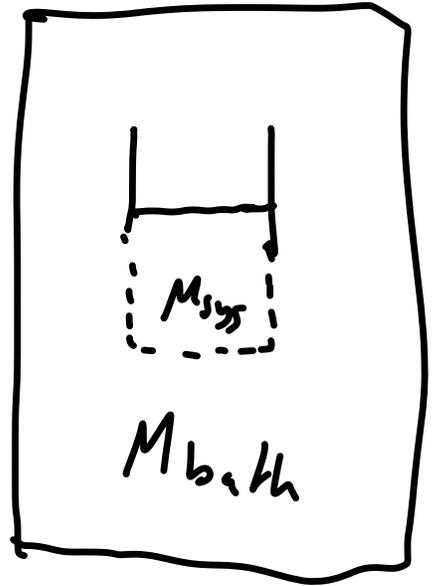
Isobaric
Eq



$$P_{\text{sys}} = P_{\text{bath}}$$

volume adjusted

Open sys
eq



$$M_{\text{sys}} = M_{\text{bath}}$$

after net flow
(also equal T)

$T, P, M [N/V]$ are what are called
intensive variables - don't depend
on system size - property of sys

Extensive (eg E, V, N) are proportional
to system size ^{or bath}

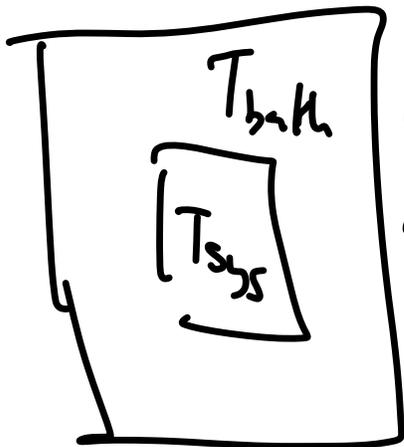
"What happens if copy system?"
Extensive vars double

Changes of state

Discussed last time many ways to go from state $A \rightarrow B$

One way is to go from $A \rightarrow B$ very slowly, so slowly that the system always equilibrates between our changes

These changes are called reversible because any one of the steps, we can go backwards and the system should follow



1) $T_{sys} = T_{bath} = T_{init}$

2) $T_{bath} \rightarrow T_{bath} + dT$

3) wait, $T_{sys} \rightarrow T_{sys} + dT$

4) stop at $T_{final} = T_{sys} = T_{bath}$

↑ iterate

Equation of State (EOS)

An EOS is a relationship between thermodynamic variables at equilibrium

If in one phase (solid liq gas)

Need $Z+1$ num components to describe thermo state (more in Ch 6)

Eg $V(n, P, T)$ for isothermal, isobaric situation

or $P(n, V, T)$ for isothermal, isochoric

EOS example is $PV = nRT$ for ideal gas

$$V = nRT/P$$

$$P = nRT/V$$

(mistakes in ideal gas section)

First law of thermodynamics

In words - Energy neither
created nor destroyed /

Energy is conserved

This is for an isolated

system & for the system + bath

big isolated system \rightarrow

universe

Focusing on system, this means

Energy flows in and out as it
does work or you do work on the
system (will discuss work more)

En eqs - for a system

$$dE = \overset{+}{dq} + \overset{-}{dw}$$

(book also
uses U)

$$E = K.E. + U$$

Sign of δq & δw very important

Book version - both are things that if you increase, increase the energy

So - δq is heat into system

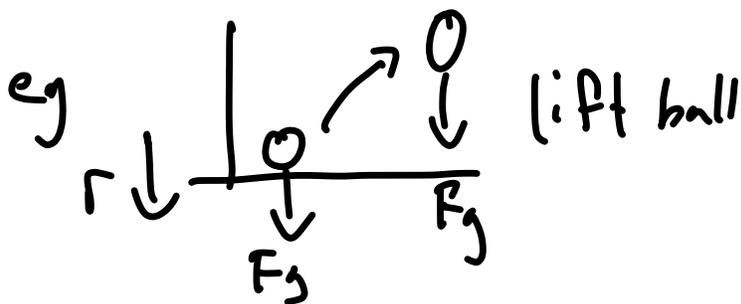
δw is work done on system

What is work

Work is the integrated change in a quantity against a "force"

Classical mechanics $w = - \int_{r_0}^{r_1} \vec{F} \cdot d\vec{r}$

if \vec{F} & \vec{r} in same direction $dw = - F dr$



$$w = \int_0^h F dr$$
$$= Fh = mgh = E_{\text{final}}$$

Thermo example

$$dW = -P_{\text{bath}} dV$$

pressure from bath acts on
system



so $dU < 0$
shrinking
is work done
on system

more next time!