Dive into computational physical chemistry

Lecture 7: Simple MD Models with LAMMPS

> Glen Hocky October 18, 2024



Recap (Lecture 3): What is a classical Molecular Dynamics (MD) Simulation?

Classical particles obey Newton's Equations of Motion

F = m a

But really 3N differential equations

$$F_i^x = m_i \ \frac{d^2 x_i}{dt^2}; F_i^y = m_i \ \frac{d^2 y_i}{dt^2}; F_i^z = m_i \ \frac{d^2 z_i}{dt^2}$$

What are the forces?

$$\vec{F} = -\nabla U$$

$$\Rightarrow F_i^x = -\frac{dU(x_1, y_1, z_1, \dots, x_N, y_N, z_N)}{dx_i}, \text{ etc.}$$

Good reference: https://livecomsjournal.org/index.php/livecoms/article/view/v1i1e5957

Simulation "box"

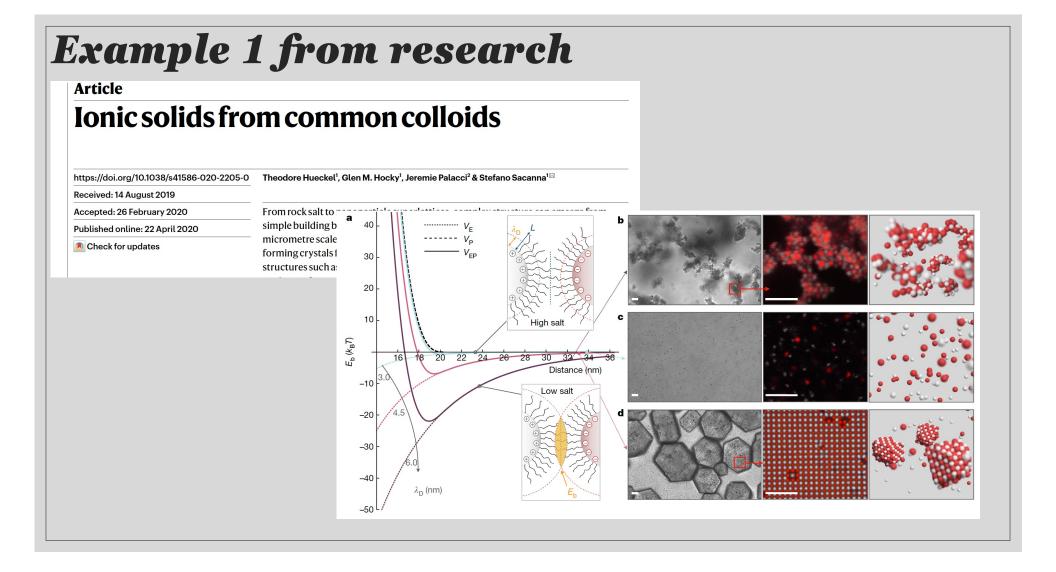
Bunch of molecules particles are put in a box

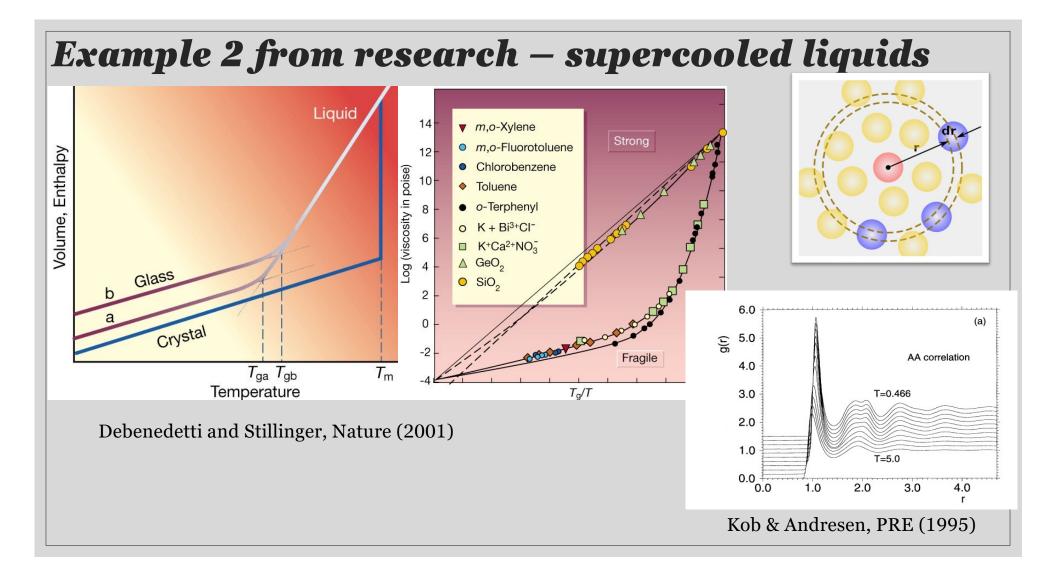
Typically: **periodic boundary conditions** – particles interact with their closest periodic image. Note: This prevents **edge effects** but not **finite size effects**.

After simulation: have to **wrap molecules into box** for visualization and certain kinds of analysis

Going away from atomistic MD

- Many problems can be studied by developing a simplified model (sometimes "coarse-grained") representation of a system
- Physical principles can be discovered by studying very simplified systems including
 - \circ A "particle" on an N-d potential energy surface
 - \circ Particles interacting with simple potentials
- Interesting part of problem is what model to choose to represent your experiments





Example 2 from research – supercooled liquids

VOLUME 73, NUMBER 10	PHYSICAL REVIEW LETTERS	5 September 199	4
Scaling Behavior in	the β -Relaxation Regime of a Supercooled Le	Testing mode-coupling theory for a supercooled binary Lennard-Jones mixture I: The van Hove correlation function <u>W Kob</u> , HC Andersen - Physical Review E, 1995 - APS	
	Walter Kob		We report the results of a large scale computer simulation of a binary supercooled Lennard-
Institut für Physik, Johannes Gutenberg-Universität, Staudinger Weg 7, D-55099 Mainz, Germany			Jones liquid. We find that at low temperatures the curves for the mean squared displacement
	Hans C. Andersen		☆ Save
Dep	artment of Chemistry, Stanford University, Stanford, Californic (Received 11 February 1994)		Testing mode-coupling theory for a supercooled binary Lennard-Jones mixture. II. Intermediate scattering function and dynamic susceptibility
RL 108, 225506 (2012)	PHYSICAL REVIEW LETTERS	week endii 1 JUNE 20	
Growing Point-to-Set Length Scale Correlates with Growing Relaxation Times in Model Supercooled Liquids Glen M. Hocky, ¹ Thomas E. Markland, ² and David R. Reichman ^{1,*} ¹ Department of Chemistry, Columbia University, 3000 Broadway, New York, New York 10027, USA ² Department of Chemistry, Stanford University, 333 Campus Drive, Stanford, California 94305, USA (Received 17 January 2012; published 1 June 2012) It has been demonstrated recently that supercooled liquids sharing simple structural features (e.g. pair distribution functions) may exhibit strikingly distinct dynamical behavior. Here we show that a more			 We have performed a molecular dynamics computer simulation of a supercooled binary Lennard-Jones system in order to compare the dynamical behavior of this system with the ☆ Save 𝒴 Cite Cited by 725 Related articles All 10 versions 𝔅 Scaling Behavior in the β-Relaxation Regime of a Supercooled Lennard-Jones Mixture <u>W Kob</u>, HC Andersen - Physical review letters, 1994 - APS We have performed molecular dynamics simulations of a supercooled atomic liquid. The self- intermediate-scattering function in the β-relaxation regime has a power-law time ☆ Save 𝒴 Cite Cited by 814 Related articles All 10 versions 𝔅
ARTICLES https://doi.org/10.1038/s41567-02	0-0842-8	nature physics	
		Check for updates	

in glassy systems V. Bapst[©]^{1,3}[⊠], T. Keck^{1,3}, A. Grabska-Barwińska¹, C. Donner¹, E. D. Cubuk², S. S. Schoenholz²,

A. Obika¹, A. W. R. Nelson¹, T. Back¹, D. Hassabis¹ and P. Kohli¹

Example 2 from research – supercooled liquids 6.0 3 (a) The system we are studying in this work is a bi-(<u>)</u> 5.0 nary mixture of classical particles. Both types of par-AA correlation 2 ticles (A and B) have the same mass m and all parti-4.0 $V_{\rm LJ}(r \text{ cles interact by means of a Lennard-Jones potential, i.e.,}$ V_{LJ} / _E T=0.466 3.0 $V_{\alpha\beta}(r) = 4\epsilon_{\alpha\beta}[(\sigma_{\alpha\beta}/r)^{12} - (\sigma_{\alpha\beta}/r)^6] \text{ with } \alpha, \beta \in \{A, B\}.$ The reason for our choice of a mixture was to prevent the 2.0 crystallization of the system at low temperatures. How-1.0 ever, as we found out in the course of our work, choosing 0 T=5.0 a binary mixture is by no means sufficient to prevent 0.0 crystallization, if the system is cooled slowly. In partic-0.0 1.0 2.0 3.0 4.0 -1 ular, we found that a model that has previously been used to investigate the glass transition [24], namely, a Kob & Andersen, PRE (1995) 1 r_m mixture of 80% A particles and 20% B particles with 0 10^{1} $\epsilon_{AA} = \epsilon_{AB} = \epsilon_{BB}, \ \sigma_{BB} = 0.8\sigma_{AA}, \ \text{and} \ \sigma_{AB} = 0.9\sigma_{AA},$ crystallizes at low temperatures, as evidenced by a sud-T = 2.0den drop in the pressure. In order to obtain a model system that is less prone to crystallization, we adjusted the parameters in the Lennard-Jones potential in such $\stackrel{\textcircled{(1)}}{\bigtriangledown}$ 10⁻¹ Lennard-Jones potential $\sim (vt)^2$ a way that the resulting potential is similar to one that 12-6 potential was proposed by Weber and Stillinger to describe amor-T = 0.41phous Ni₈₀P₂₀ [25]. Thus we chose $\epsilon_{AA} = 1.0, \sigma_{AA} = 1.0$, Minimum at $2\overline{6}\sigma$ $\epsilon_{AB} = 1.5, \, \sigma_{AB} = 0.8, \, \epsilon_{BB} = 0.5, \, \text{and} \, \sigma_{BB} = 0.88.$ The 0 at diameter σ numbers of particles of type A and B were 800 and 200, 10^{-3} 10¹ 10^{-1} 10^{3} 10^{5} 10^{7} respectively. The length of the cubic box was $9.4\sigma_{AA}$ and WCA potential t/τ_0 shift up at minimum and cut off Berthier and Biroli, RMP (2010)

Example 3 – crystallization of hard particles

Phase Transition for a Hard Sphere System

B. J. ALDER AND T. E. WAINWRIGHT University of California Radiation Laboratory, Livermore, California (Received August 12, 1957)

$$U(r) = \begin{cases} 0, r > \sigma \\ \infty, r \le \sigma \end{cases} \quad F = U - TS$$

A 32-particle system in a cube and initially in a facecentered cubic lattice proceeded at about 300 collisions an hour on the UNIVAC. For comparison a 96-particle system in a rectangular box and initially in a hexagonal arrangement has been calculated, however only at high

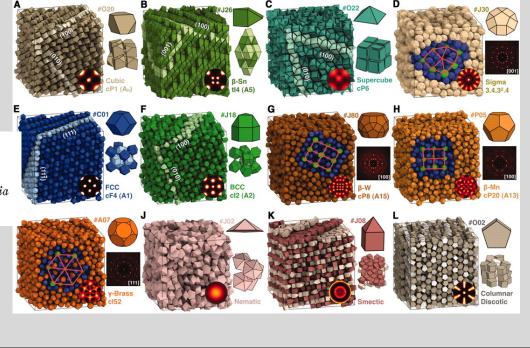
Phase Transition in Elastic Disks*

B. J. ALDER AND T. E. WAINWRIGHT University of California, Lawrence Radiation Laboratory, Livermore, California (Received October 30, 1961)

A STUDY has been made of a two-dimensional system consisting of 870 hard-disk particles. Simultaneous motions of the particles have been calculated by means of an electronic computer as described previously.¹ The disks were again placed in a periodically repeated rectangular array. The computer program has been improved such that about 200 000 collisions per hour can be calculated by the LARC computer regardless of the number of particles in the system. This speed made it possible to follow large systems for several million collisions.

Predictive Self-Assembly of Polyhedra into Complex Structures

Pablo F. Damasceno,¹* Michael Engel,²* Sharon C. Glotzer^{1,2,3}†



MD simulation software

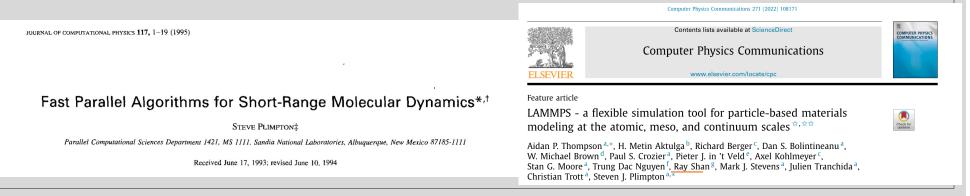
Many MD software, some of which have specialized purposes: - Bio systems: GROMACS, AMBER, NAMD, OPENMM, ...

- <u>General/materials: LAMMPS, HOOMD-BLUE</u>

Speed: these are all optimized to greater or lesser degrees to parallelize computation across many CPUs and/or on GPU

LAMMPS

- Large-scale Atomic/Molecular Massively Parallel Simulator
- Development led by Steve Plimpton
- Very easy to customize
- Very general in terms of types of systems
- \circ Downside not as fast as GROMACS, AMBER etc
- FYI Can use with PLUMED and other types of plugins, also can be called from Python and other cool features that can be useful in research



LAMMPS usage

- LAMMPS provides a number of examples to get you started
- Some good tutorials exist, e.g. https://lammpstutorials.github.io/

Key items:

- 1. Units / atom_style
- 2. Create box/ atoms
- 3. Set mass
- 4. Initialize velicities
- 5. Set pair interactions
- 6. Fixes nve, nvt, npt etc
- 7. Computes various properties
- 8. Thermo write properties to screen
- 9. Dump write positions to files
- 10. Minimize / run compute forces/ execute

3d Lennard-Jones melt

units atom_style	lj atomic
lattice region create_box create_atoms mass	
velocity	all create 3.0 87287 loop geom
pair_style pair_coeff	
5	0.3 bin every 20 delay 0 check no
fix	1 all nve
dump	id all atom 50 dump.melt
#dump # #dump_modify	2 all image 25 image.*.jpg type type & axes yes 0.8 0.02 view 60 -30 2 pad 3
#dump # #dump_modify	3 all movie 25 movie.mpg type type & axes yes 0.8 0.02 view 60 -30 3 pad 3
thermo run	50 25000

Today

1. Pull updates on comp-lab-class github page

https://github.com/hockyg/comp-lab-class-2024/blob/main/Week8/Assignment.md

2. Run an example from LAMMPS

3. Use LAMMPS and VMD to determine approximately when hard disks/spheres crystallize

Next time:

1) Halloween + run & analyze KA-LJ system for supercooled liquids